Inner field consideration. Lorentz-Lorenz equation. At this point we need to generalize the ease and forged that we have low density medium. Led's non court-der inner field that may come from neighboring dipoles. Lindrig Love-2 Henrik Loventz (Demark, 1869) (Netherlands, 1878) Lorent has shown The following. If we take homogeneous Lelectric, then the dield it will be:

2 same empty space inside it will be: $\overline{Z} = \overline{Z} + \frac{1}{36}$ inner field This is the dield of surrounding L'poles. Now we assume the case of transparent medium $(\mathcal{X} = 0)$ $\frac{1}{r} + \omega_0 r = -\frac{e}{m} = -\frac{e}{m} \left(\frac{1}{E} + \frac{1}{m} \left(\frac{1}{E} + \frac{1}{m} \right) \right)$ Secund Newton's law
Liet's multiply both parts by - Ne. -Ner+ (-Newor) - Ne² - Ne² - Smb = Ne² - T We remember that P = - eNF $\frac{i}{p} + \left(\omega_0^2 - \frac{e^2N}{3mR_0}\right) = \frac{Ne^2}{m} = \frac{N}{m}$ Again, this is an equation of forced oscillations. But non it is oscillation of polaritation of medium dipoles. The Solution. $\left(\omega_0 - \frac{e^2N}{3mE_0}\right) - \omega^2$ But PaloyE => 7 Souce we know y, we can determine E. $h^{2} = 2 = 1 + \gamma = 1 + \frac{Ne^{2}}{me_{6}} \cdot \frac{\sqrt{2} - w^{2} - \sqrt{2}e^{2}}{3me_{6}}$ loss build the following combination $\frac{h^2-1}{m^2+2} = \frac{Ne^2}{3mR_0} \cdot \frac{1}{w_0^2-w^2}$ Lorent2 - Lorenz Eg nation Honwork For Le given freguency luce Can desive. $h^{-1} = const$ According to this formula, by measuring n we can determine concentration. $\frac{h^2-1}{h^2+2} = coust$ 9 - dens. dySpecific refraction From this equation it is alear that refruetive isdex and density of medium are Connected. Why stars tun, rulele,
but planes s don't Lieils specifically talk about gases. For them hal Ju Alis Call $4^{2}-1=(h-1)(h+1)x 2(h-1)$ 4²+2 2 3 It means that specific refraction. m-1= g : const n= 1+ consto We can deservine dent for